

First Steps Toward a Digital Database of Aristotelian Diagrams

KU LEUVEN

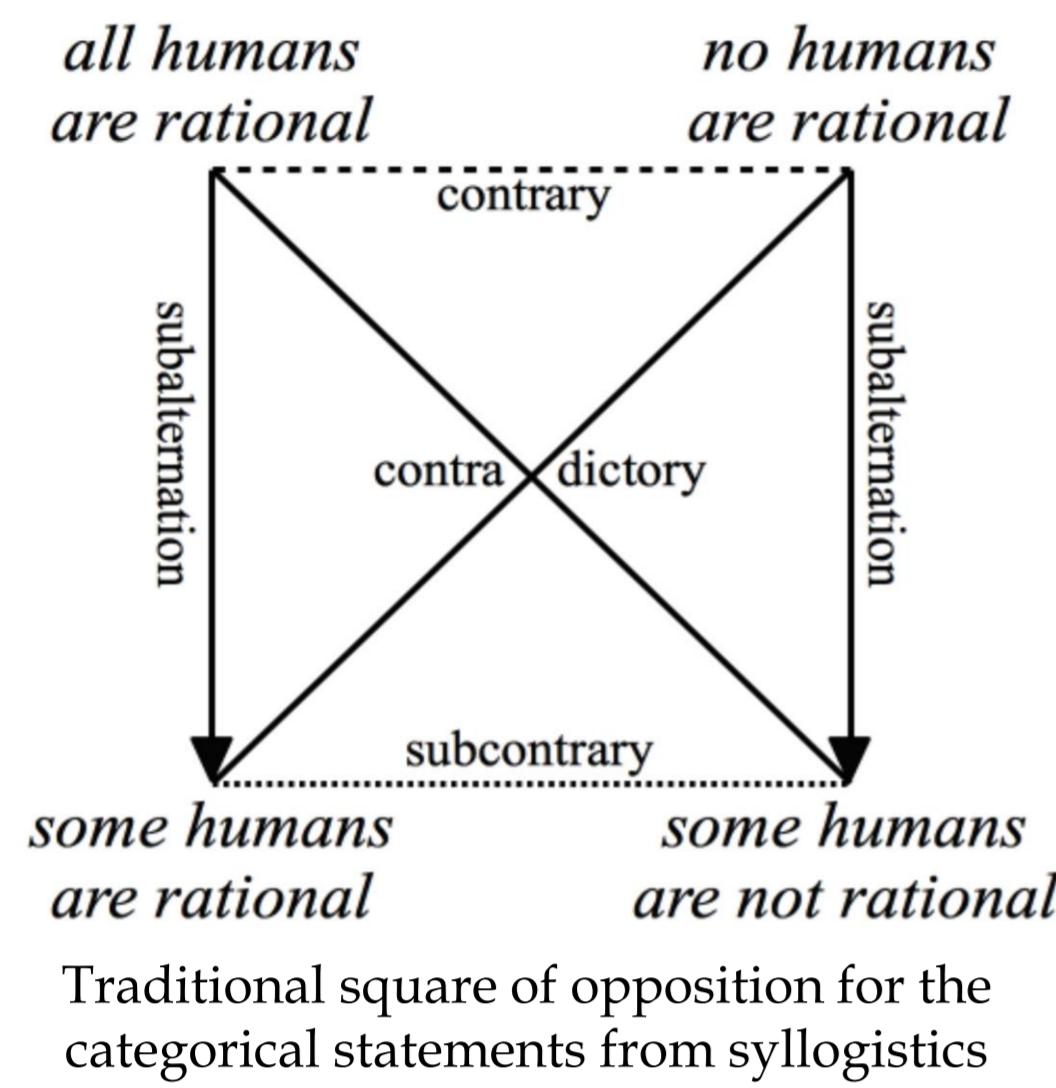
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ARISTOTELIAN DIAGRAMS

= compact visualizations of a set of concepts or expressions, and certain **logical relations** holding among them



Traditional square of opposition for the categorical statements from syllogistics

Contradiction \Leftrightarrow two terms cannot be true together and cannot be false together

Contrariety \Leftrightarrow two terms cannot be true together but can be false together

Subcontrariety \Leftrightarrow two terms can be true together but cannot be false together

Subalternation \Leftrightarrow one term entails a second, but not vice versa

→ translate abstract subject matter into concrete visual/aesthetic space

Historical importance

- Numerous applications in logic and philosophy
- Popularization of logic and its history.

*Frege
Buridan
Prior
Reichenbach
Ockham*



Square in Thomas van Zerclaere's epic poem *Der Wilsche Gast* (ca. 1420), as a visual metaphor for the discipline of logic.

Logical geometry

= research into Aristotelian diagrams as independent objects of study:

- abstract-logical properties
- visual-geometrical properties

→ need for an empirical basis

A DIGITAL DATABASE

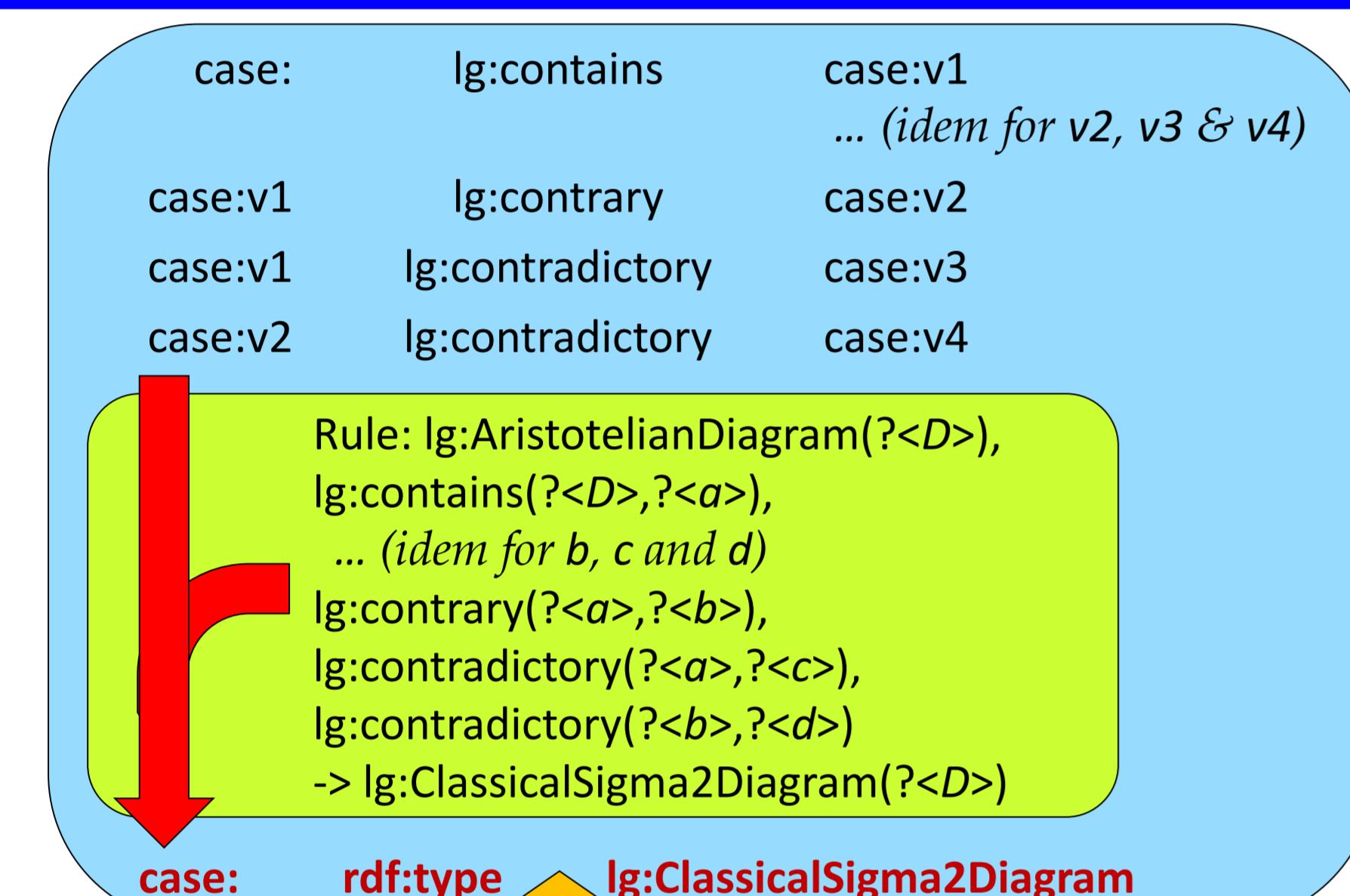
- Preservation of cultural heritage
- Empirical base for logical geometry
- Interdisciplinary accessibility
- Field-specific extendibility
- Comprehensive range

*psychology
linguistics
legal theory
philosophy of religion
computer science*

Frequent use in many disciplines concerned with logical reasoning
 < ubiquity of logical relations
 → interdisciplinary potential

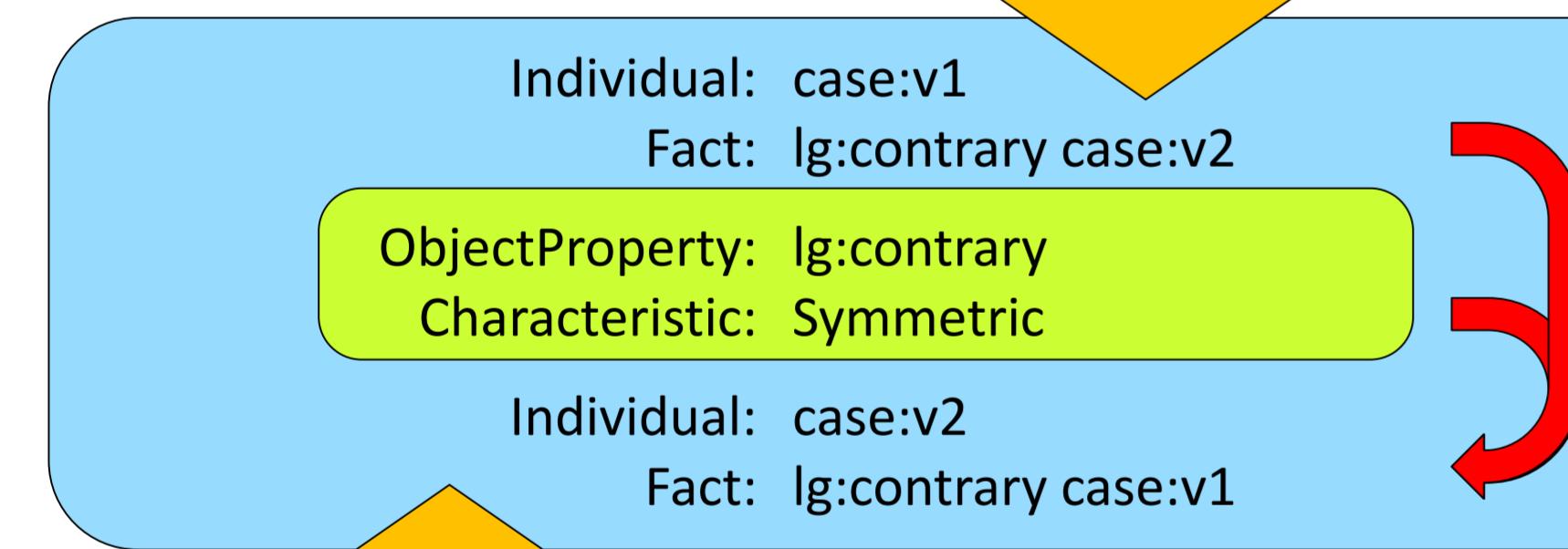
$$\begin{array}{c} \alpha' = \inf_x \pi(x) \rightarrow \bar{A}(x) \\ \alpha = \inf_x \pi(x) \rightarrow A(x) \\ \beta' = \inf_x \pi(x) \rightarrow \bar{A}(x) \\ \beta = \inf_x \pi(x) \rightarrow A(x) \\ \iota' = \sup_x \pi(x) \otimes A(x) \\ \iota = \sup_x \pi(x) \otimes \bar{A}(x) \\ o' = \sup_x \pi(x) \otimes \bar{A}(x) \\ o = \sup_x \pi(x) \otimes A(x) \end{array}$$

A cube of opposition in AI research on the knowledge representation formalism of graded possibility theory.



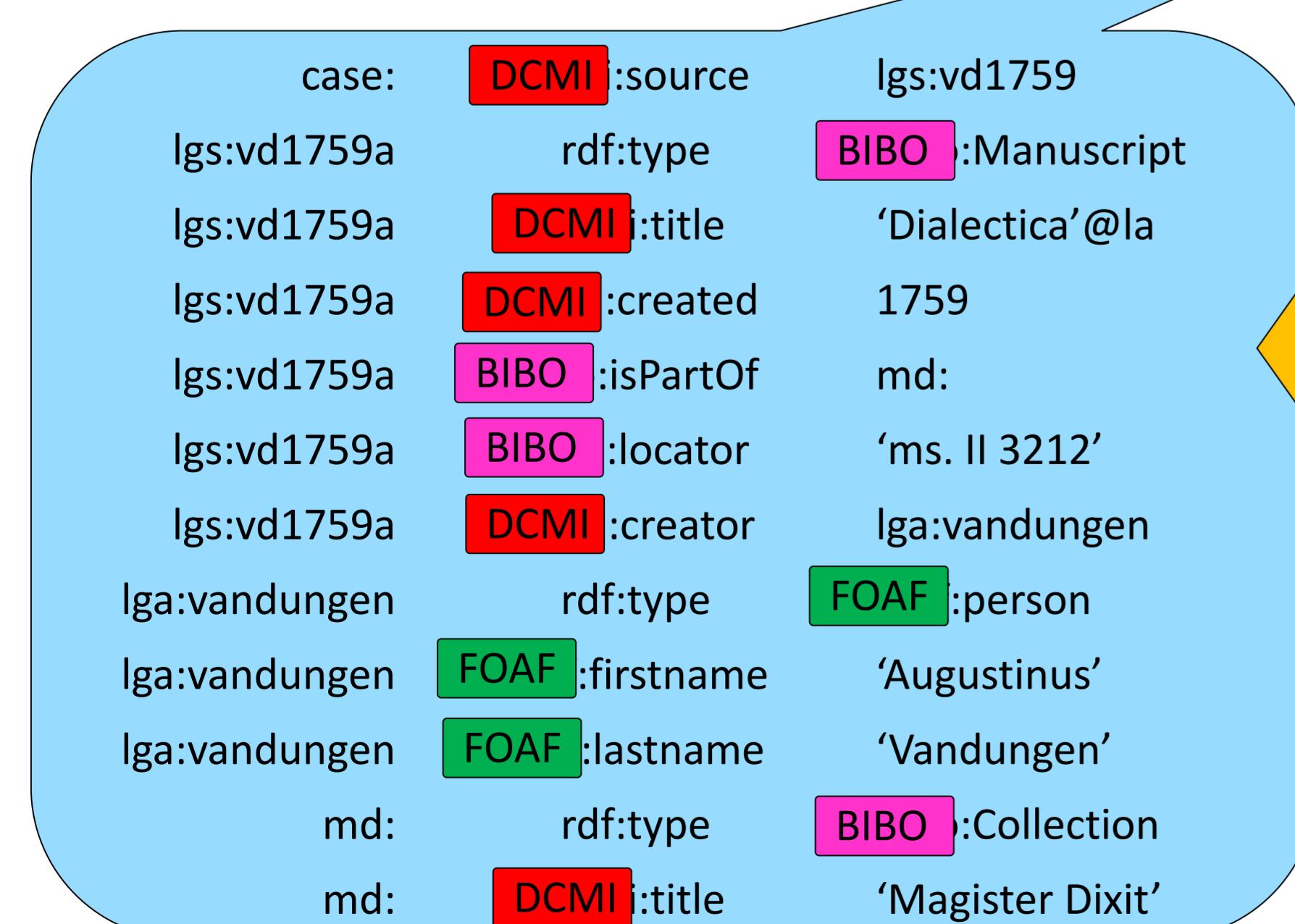
Automated Inference

- Semantic understanding by machine reasoners
 → semantics for non-trivial inference are integrated in the semantic web approach
- Based on RDFS and OWL
 - Extended with rule-based languages



The Web Ontology Language (OWL)

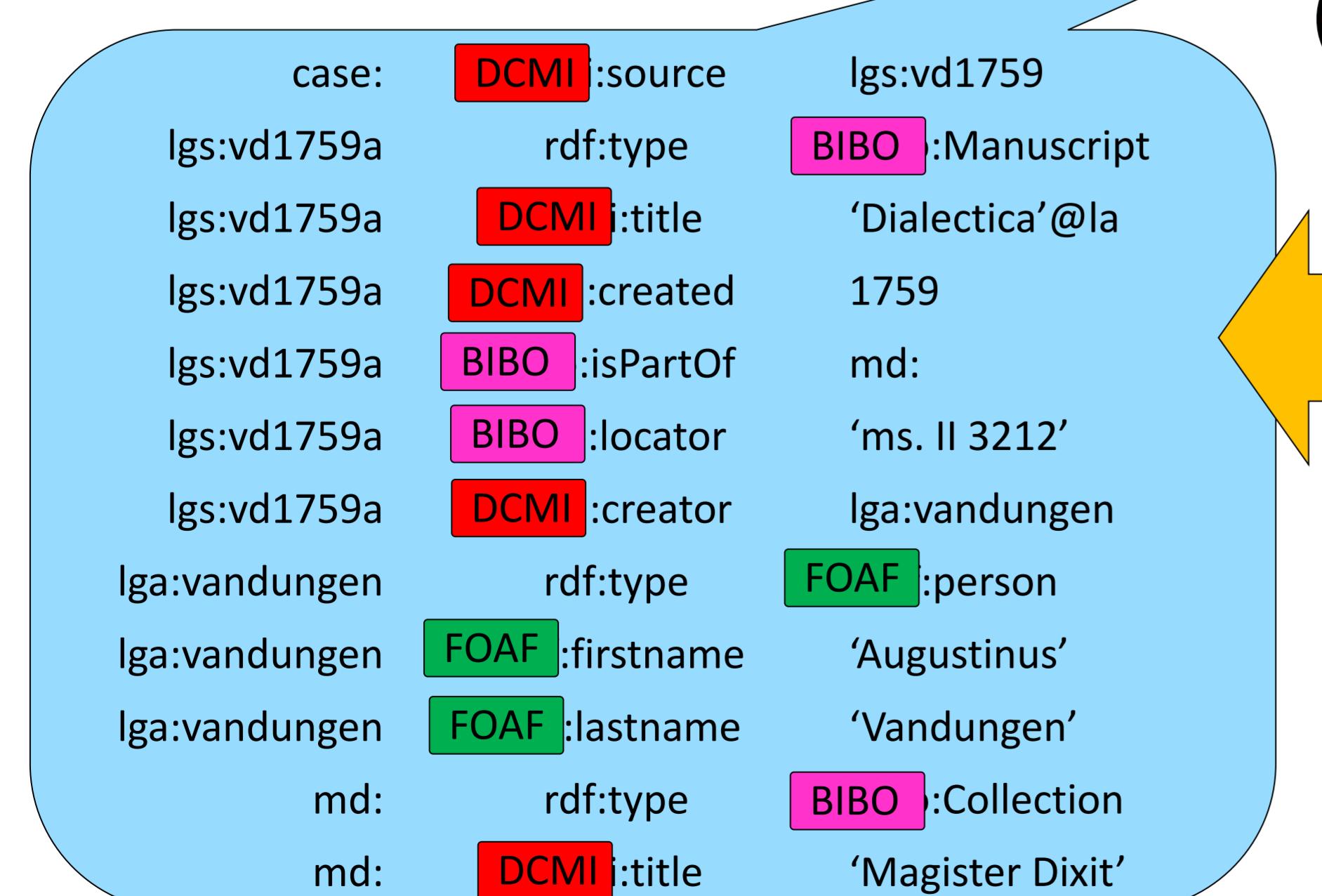
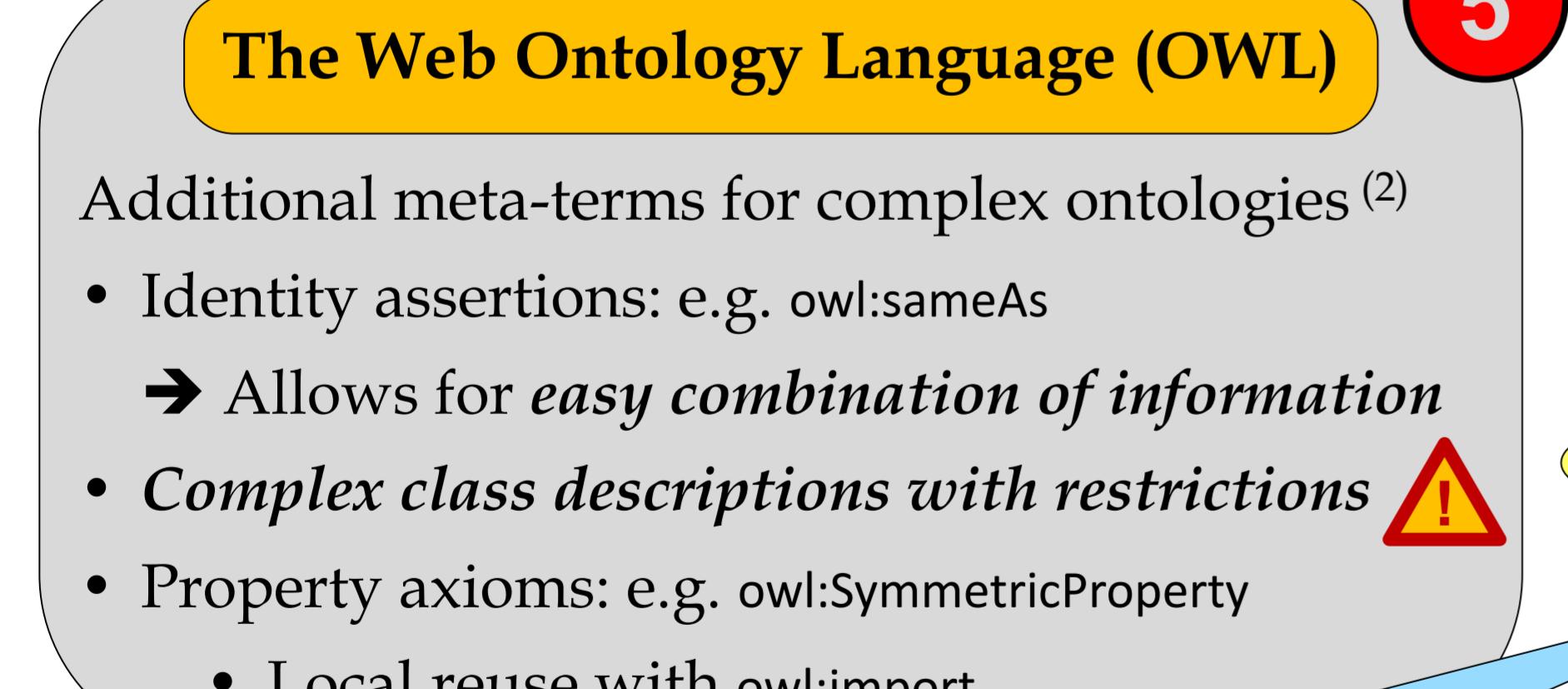
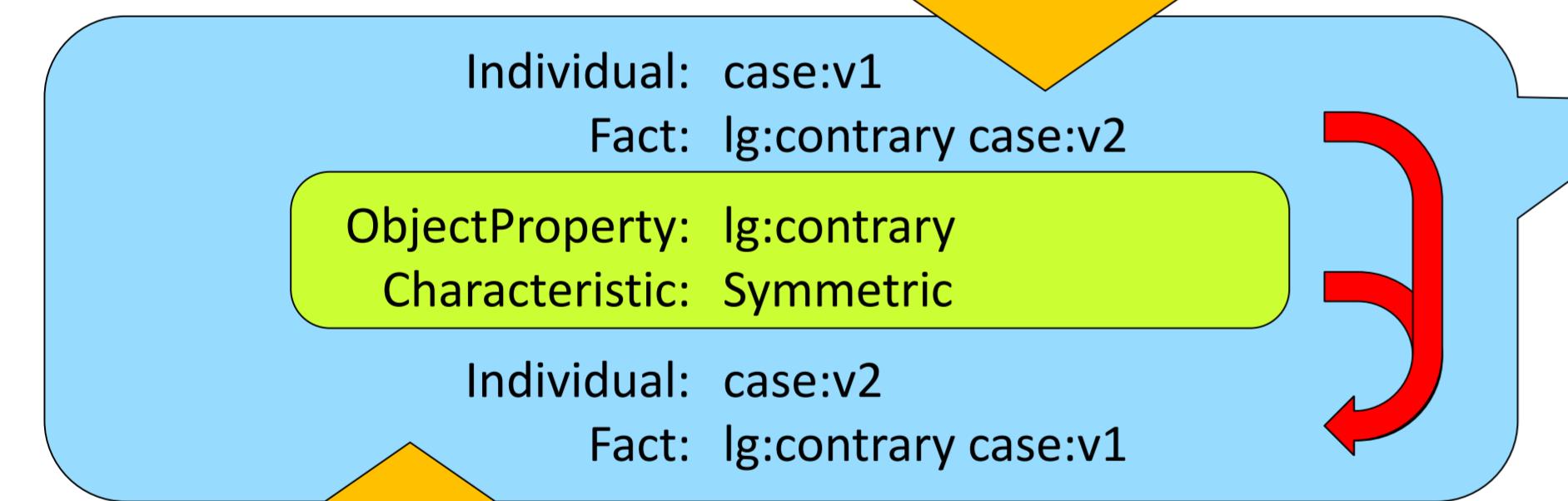
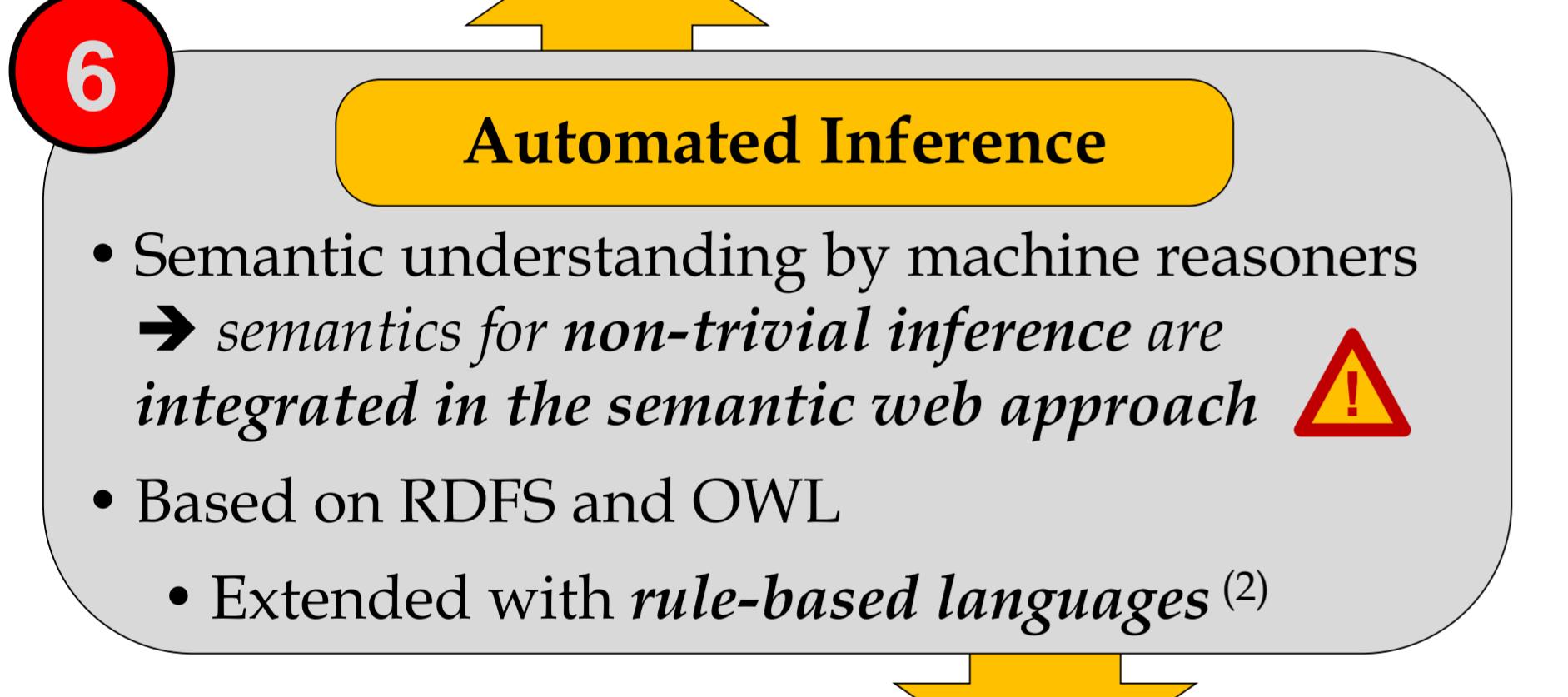
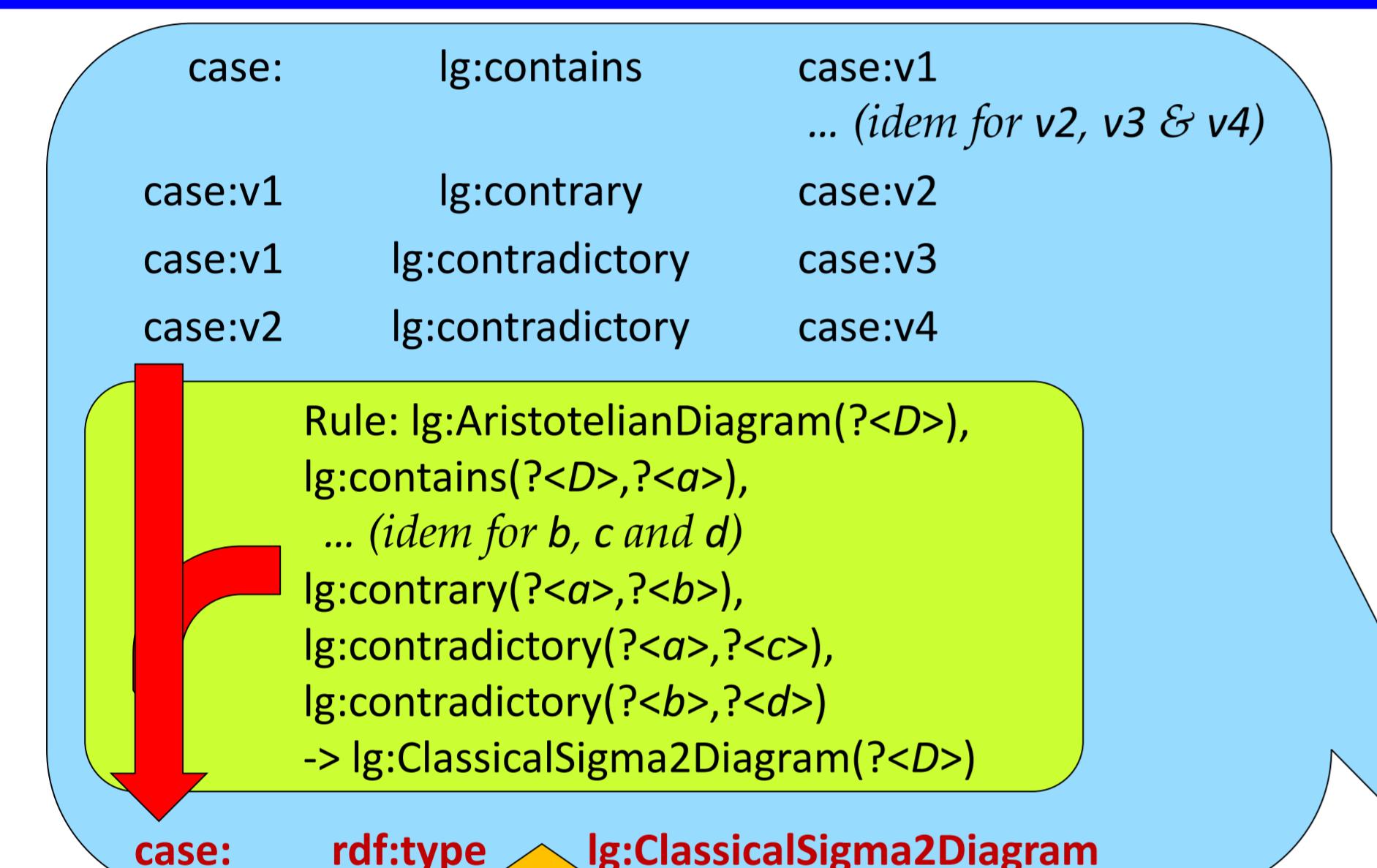
- Additional meta-terms for complex ontologies
- Identity assertions: e.g. owl:sameAs
 → Allows for easy combination of information
 - Complex class descriptions with restrictions
 - Property axioms: e.g. owl:SymmetricProperty
 - Local reuse with owl:import



⁽¹⁾ A characterization of the Semantic Web by the Pelagios Commons geodata community. ⁽²⁾ All basic RDF statements on this poster are simple triples; more complex ones are written in Manchester Notation.

More information? www.logicalgeometry.org; wouter.termont@kuleuven.be; lorenz.demey@kuleuven.be; hans.smessaert@kuleuven.be.

This research is supported through C1 project 3H180236 at KU Leuven and a Postdoctoral Research Fellowship of the Research Foundation - Flanders (FWO)



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